Near-fault large-event ground motion models

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Ground motion models	PGA is extremal for	PGA as outlier. Only two
"Ground motion prediction equations"	acceleration. Monte Carlo	available events. CLC
Objective: predict high-frequency acceleration and Peak Ground Acceleration (PGA)	calculation.	Ridgecrest; LUC Landers.
Random Vibration Theory	Nonstandard PGA is	45 Observed
Hanks and McGuire (1981)	resolved horizontal velocity.	Belliptical correction
Many sources patches on fault plane	This parameter has predicted	$\begin{bmatrix} 30 \\ c \\ c \\ c \end{bmatrix} = \begin{bmatrix} 30 \\ c \\ c \end{bmatrix} = \begin{bmatrix} -1 \\ c \\ c \\ c \end{bmatrix} = \begin{bmatrix} -1 \\ c \\ c \\ c \\ c \end{bmatrix}$
generate random high-frequency signal that		Under in binder
a component of the station sums.	random additive sources.	
For large earthquake, signal is transiently stationary and Gaussian.	4000 	5 0 0.1 0.2 0.3 0.4 0.5 0.6 Resolved horizontal acceleration, g's
R.M.S. acceleration is		
$a_{\rm rms} = C_H \left(\Delta \tau / \rho R \right) \operatorname{sqrt}(f_{\rm max} / f_0)$		
C _H is a dimensionless multiplicative	2 3 4 5 6 PGA normalized to standard deviation	
constant, $\varDelta \tau$ is the stress drop, ρ is density,	Tail of distribution of PGA from random	
and R is distance	sums is approximately lognormal.	elocit
Spectrum is flat from corner frequency f_0 to the upper limit of the band f_{max} .	Logarithmic standard deviation is 0.132. Observed is 0.44 and 0.58 for M _w >7	0.1
Fault dimension is $r = \beta/f_0$	(Gregor et al., 2014).	5 6 7 8 9 10 11 12 13 14 15 Time, s CLC
Modify equation for near-fault	Likely causes of observed	(a) 1.5
station and large earthquake	scatter in near-fault PGA.	Signal is modulated.
Solid angle is dimensionally, $B = (\beta / f_0 R)^2$	(1) Solid angle is rarely $\sim \pi$: Bounded	Centroid.
Near-fault R.M.S. acceleration is	multiplicative factor. V _{slip} Multiplicative, fault patch	(b) $\frac{1}{250}$ $\frac{1}{10}$ $\frac{1}{12}$ $\frac{1}{14}$ $\frac{1}{16}$ $\frac{1}{18}$ $\frac{20}{12}$ $\frac{1}{14}$ $\frac{1}{16}$ $\frac{1}{18}$ $\frac{20}{16}$ $\frac{1}{10}$ $$
$a_{\rm rms} = C_H \left(\Delta \tau / \rho \beta \right) B^{1/2} \operatorname{sqrt}(f_{\rm max} f_0)$	sqrt($f_{max} f_0$) Multiplicative, fault patch + path	Dbserved Gauss 1 Gauss 2 Gauss 2 Gauss 2 Gauss 2 Gauss 1 Gauss 2 Gauss 1 Gauss 2 Gauss 2 Gauss 1 Gauss 1 Ga
$= C_H V_{\text{slip}} B^{1/2} \operatorname{sqrt}(f_{\max} f_0)$	Multiplicative -> lognormal(2) Rogue strong subevents cause spikes:	
$(\Delta \tau / \rho \beta)$ is slip velocity V_{slip}	Not modeled by Gaussian distribution.	50
sqrt($f_{max} f_0$) is characteristic frequency	Events are locatable.	^o 0 0.1 0.2 0.3 0.4 0.5 0.6 0.7 0.8 Resolved horizontal acceleration, g's LUC
When major fault slips near the station, the	$\begin{bmatrix} F_{16} \\ F_{16} \end{bmatrix} = \begin{bmatrix} N-S \\ E-W^*1.3 \end{bmatrix} = \begin{bmatrix} N-S \\ IS \end{bmatrix} = \begin{bmatrix} N-S \\ IS \end{bmatrix}$	Circular Gaussian distributions crudely fit resolved acceleration histograms for CLC and
solid angle subtended by slipping fault may approach $\sim \pi$ steradians (quarter space for	stronger the stronger	LUC. But there are outliers. Pooling modulated
strike-slip fault).	thω _N E-W. Source?	signal underestimates standard deviation at
Solid angle $B^{1/2}$ modulates	B 0 10 20 30 40 50 Site?	times of high amplitude. PGA tends to occur at times of high overall amplitude. Empirical
quasistationary Gaussian signal.	Frequency is not flat for near-fault station. Path lengths and attenuation differ.	modulation function may be projected to fault or compared with fault-slip models.